

CCS. 27/05/04.

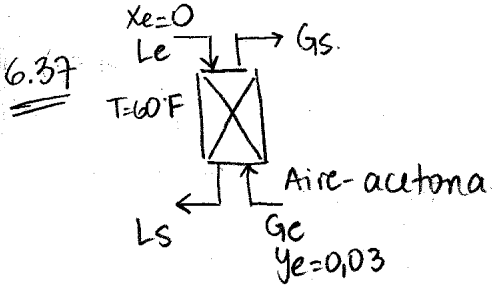
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TF-3332 Sec. 01.

"Columnas Empacadas."

Tarea N° 2.



$$\frac{L_s \cdot X_s}{G_c \cdot y_e} = 0,97 \quad G_c = 50 \text{ ft}^3/\text{min}$$

$$P = 1 \text{ atm}$$

$$U_g = 2,4 \text{ ft/s} = 144 \text{ ft/min}$$

$$Y^* = 1,75 \cdot X$$

$$P_{\text{Maire}} = 27$$

$$P_{\text{Mac}} = 58$$

$$P_{\text{aire}} = 0,0808 \text{ lb/ft}^3$$

$$T = 60^\circ\text{F} = 288,7 \text{ K}$$

$$R = 82,06 \frac{\text{cm}^3 \text{ atm}}{\text{K} \cdot \text{mol}} = 1,314 \frac{\text{ft}^3 \text{ atm}}{\text{K} \cdot \text{lbmol}}$$

a) $\left(\frac{L'}{G'}\right)_{\text{min}} = ? \Rightarrow$ para $X_s = Y_e / 1,75$. (x salida en equilibrio con y entrada).

$$Y_e = \frac{y_e}{1 - y_e} = \frac{0,03}{1 - 0,03} \rightarrow Y_e = 0,03093 \rightarrow X_s = 0,01767 \text{ Haciendo balance de masa (lbrc)} \Rightarrow$$

$$L' X_e + G' Y_e = L' X_s + G' Y_s \Rightarrow Y_e = \left(\frac{L'}{G'}\right) X_s + Y_s \Rightarrow \left(\frac{L'}{G'}\right) = \frac{Y_e - Y_s}{X_s} \Rightarrow Y_s = Y_e (1 - 0,97)$$

$$\Rightarrow Y_s = 0,03093 (0,03) \rightarrow Y_s = 9,279 \cdot 10^{-4} \Rightarrow \left(\frac{L'}{G'}\right)_{\text{min}} = \frac{0,03093 - 9,279 \cdot 10^{-4}}{0,01767}$$

$$\left(\frac{L'}{G'}\right)_{\text{min}} = 1,698$$

b) $X_s^* = \frac{X_s}{1 + X_s} = \frac{0,01767}{1 + 0,01767} = 1,74 \cdot 10^{-2} \frac{\text{mol sto}}{\text{mol cin}} \quad []_s^* = X_s^* \cdot P_{\text{H}_2\text{O}} = 1,74 \cdot 10^{-2} \cdot 998 \cdot \frac{1}{18} \cdot \frac{2,2}{1000} \cdot \left(\frac{1}{3,28}\right)^3 \cdot 1000 = 6,02 \cdot 10^{-2} \frac{\text{lbmol}}{\text{ft}^3}$

c) $\left(\frac{L'}{G'}\right) = 1,4 \left(\frac{L'}{G'}\right)_{\text{min}} \quad \left(\frac{L'}{G'}\right) = 1,4 \cdot 1,698 = 2,3772 \quad N = \frac{\ln\left(\frac{Q-1}{Q}\right) \cdot \frac{1}{Q} + \frac{1}{Q}}{\ln Q} \quad Q = \frac{\text{corriente reabs}}{\text{corriente da. m}}$

$$m = 1,75 \Rightarrow Q = \frac{L}{G \cdot m} = \frac{2,3772}{1,75} \Rightarrow Q = 1,3584 \quad \varphi = \frac{Y_s - Y_s^{*0}}{Y_e - Y_s^{*0}} = \frac{9,279 \cdot 10^{-4}}{0,03093} \rightarrow \varphi = 0,03$$

$$N = \frac{\ln\left(\frac{1,3584 - 1}{1,3584}\right) \cdot \frac{1}{0,03} + \frac{1}{1,3584}}{\ln(1,3584)} \Rightarrow N = 7,36 \text{ etapas}$$

d) $NTU' = \frac{\ln\left[\left(\frac{Q-1}{Q}\right) \frac{1}{\varphi} + \frac{1}{Q}\right]}{\left(\frac{Q-1}{Q}\right)} = \frac{\ln\left[\left(\frac{1,3584 - 1}{1,3584}\right) \frac{1}{0,03} + \frac{1}{1,3584}\right]}{\left(\frac{1,3584 - 1}{1,3584}\right)} \Rightarrow NTU' = 8,545 \text{ unidades de transferencia}$

e) $K_y \cdot a = 12,0 \text{ lbmol/h} \cdot \text{ft}^3 \cdot (\Delta T) \quad Z = NTU_{OG}' \cdot HTU_{OG}' \quad HTU_{OG}' = G' / K_y \cdot a \cdot A \quad G_{\text{max}} \cdot A = G \Rightarrow$

$$A = G / G_{\text{max}} = \frac{50 \text{ ft}^3/\text{min} \cdot 1 \text{ m}^3/608}{2,4 \text{ ft/s}} \Rightarrow A = 0,3472 \text{ ft}^2 \quad \text{De gas ideal...} \Rightarrow PV = nRT$$

$$\frac{n}{V} = \frac{P}{RT} = \frac{1 \text{ atm}}{1,314 \text{ ft}^3 \cdot \text{atm} / \text{K} \cdot \text{lbmol} \cdot 288,7 \text{ K}} = 2,635 \cdot 10^{-3} \frac{\text{lbmol}}{\text{ft}^3} \quad G_c = 50 \frac{\text{ft}^3}{\text{min}} \cdot 2,635 \cdot 10^{-3} \frac{\text{lbmol}}{\text{ft}^3}$$

$$G_c = 0,1318 \text{ lbmol/min} \quad G' = (1 - y_e) \cdot G_c = 0,1318 (1 - 0,03) \rightarrow G' = 0,1278 \text{ lbmol/min}$$

$$HTUOG' = \frac{0,12784 \text{ kmol/m}^2\text{s}}{\frac{12,01 \text{ kmol}}{\text{m}^3} \cdot 0,3472 \text{ ft}^2} \cdot \frac{60 \text{ min}}{1 \text{ h}} = 1,84 \text{ ft} \quad HTUOG' = 1,84 \text{ ft} \quad Z = NTUOG' \cdot HTUOG' \Rightarrow$$

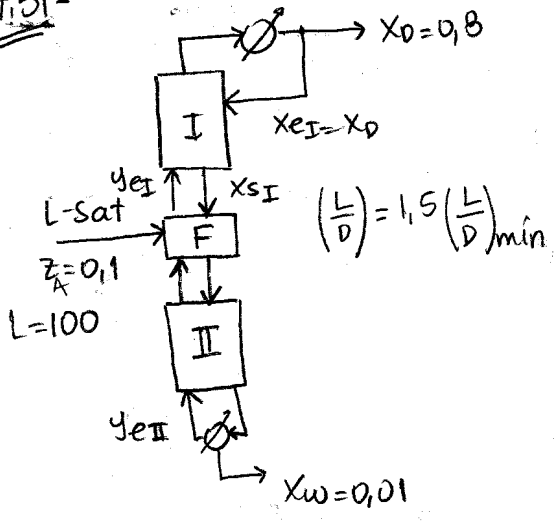
$$Z = 8,545 \cdot 1,84 \text{ ft} \Rightarrow \boxed{Z = 15,73 \text{ ft}}$$

$$f) Z = HTUOG' \cdot NTUOG' \quad Z = 1,84 \cdot \frac{\ln \left[\left(\frac{\varphi' - 1}{\varphi'} \right) \cdot \frac{1}{\varphi} + \frac{1}{\varphi'} \right]}{\frac{\varphi' - 1}{\varphi'}}$$

$$\Rightarrow Z = \frac{1,84 \cdot \ln \left[\frac{\left(\frac{L'}{1,756'} \right) - 1}{\left(L' / 1,756' \right)} \right] \cdot \frac{1}{0,03} + \frac{1}{1,756'}}{\left[\frac{\left(L' / 1,756' \right) - 1}{\left(L' / 1,756' \right)} \right]}$$

7,51-

Base cálculo: L=100.



X	Y
0,0190	0,1700
0,0721	0,3391
0,0966	0,4375
0,1233	0,4704
0,1661	0,5089
0,2337	0,5445
0,2608	0,5580
0,3273	0,5826
0,3965	0,6122
0,5079	0,6564
0,5193	0,6599
0,5732	0,6841
0,6763	0,7385
0,7472	0,7815
0,8943	0,8943



Balance Global: $L = W + D \Rightarrow W = L - D$
 $W = 100 - D$

$X_F = Z_F \Rightarrow$ Posición Óptima!
 $X_D = Y_{sI} = 0,8$

Bal. por componente:

$z \cdot L = X_D \cdot D + X_w \cdot W$

$0,1 \cdot 100 = 0,8 \cdot D + 0,01(100 - D) \Rightarrow 10 = 0,8 \cdot D + 1 - 0,01 \cdot D \Rightarrow 9 = 0,79 \cdot D \Rightarrow D = 11,39 \wedge W = 88,61$

$(\frac{L}{D})_{\min}$ para la zona I: Y_{eI} en equilibrio con X_{sI} . $X_{sI} = 0,1 \Rightarrow Y_{eI} = 0,4416$ (Interpol.)

\Rightarrow Balance en la zona I: $V = D + L$ $L \cdot X_{sI} + D \cdot X_D = V \cdot Y_{eI}^* \rightarrow L \cdot X_{sI} + D \cdot X_D = D \cdot Y_{eI}^* + L \cdot Y_{eI}^*$

$\frac{L}{D} (X_{sI} - Y_{eI}^*) = Y_{eI}^* - X_D \Rightarrow (\frac{L}{D})_{\min} = \frac{Y_{eI}^* - X_D}{X_{sI} - Y_{eI}^*} \Rightarrow (\frac{L}{D})_{\min} = \frac{0,4416 - 0,8}{0,1 - 0,4416} \Rightarrow (\frac{L}{D})_{\min} = 1,0492$

$\Rightarrow L_{\min} = 1,0492 \cdot 11,39 \rightarrow L_{\min} = 11,95$

$\rightarrow L_{op} = 1,5 \cdot L_{\min} = 17,925 \rightarrow (\frac{L}{D})_{op} = 1,574 \rightarrow V = 29,33$ $(\frac{L}{D})_{op} = \frac{Y_{eI} - X_D}{X_{sI} - Y_{eI}} \Rightarrow$

$(\frac{L}{D}) \cdot (X_{sI} - Y_{eI}) = Y_{eI} - X_D \rightarrow Y_{eI} (1 + \frac{L}{D}) = (\frac{L}{D}) \cdot X_{sI} + X_D$ $Y_{eI} = 0,3719 \Rightarrow X_{eII} = 0,068$ (Eq.)

$X_w = 0,01 \rightarrow Y_{eII} = 0,0895$

\rightarrow Bal. en el Rehecedor: $W \cdot X_w + V \cdot Y_{eII} = L \cdot X_{sII}$ $\wedge L = L_I + 100 = 117,925 \Rightarrow$

$88,61 \cdot 0,01 + 29,33 \cdot 0,0895 = 117,925 \cdot X_{sII} \Rightarrow X_{sII} = 0,0298$

\rightarrow Bal. Zona II: $V \cdot Y_{eII} + L \cdot X_{eII} = V \cdot Y_{sII} + L \cdot X_{sII}$ $29,33 \cdot 0,0895 + 117,925 \cdot 0,068 = 29,33 \cdot Y_{sII} + 117,925 \cdot 0,0298$

$Y_{sII} = 0,243$

\rightarrow Porque HTO6 es dato!

\rightarrow Zona I: Definiendo el gas como la fase que da... $Q_I = L_I / m \cdot V_I$
 $m \rightarrow X$ varía entre 0,1 y 0,8. Se calcula m entre esos valores de X ...

$Y = 0,4912 \cdot X + 0,4196 \Rightarrow m = 0,4912$ $Q_I = 17,925 / 0,4912 \cdot 29,33 \Rightarrow Q_I = 1,242$

con $X_{seq} = -8,693 \cdot 10^{-2}$
 $\rightarrow \frac{X_{seq}}{Y_{eI}} \cdot \frac{L}{V} = -0,143 = Q_F \Rightarrow$

$Q_I = \frac{Y_{sII} \cdot V - (X_{eII} \cdot L / Q_F)}{Y_{eI} \cdot V - (X_{eI} \cdot L / Q_F)} \Rightarrow$

$$\varphi_I = \frac{0,8 \cdot 29,38 - [0,8 \cdot 17,925 / (-0,143)]}{0,3719 \cdot 29,38 - [0,8 \cdot 17,928 / (-0,143)]} \Rightarrow \varphi_I = 0,0402 \quad N_I = \frac{\ln \left[\left(\frac{Q_I - 1}{Q_I} \right) \frac{1}{\varphi_I} + \frac{1}{Q_I} \right]}{\ln Q_I} \Rightarrow \dots$$

$$N_I = \frac{\ln \left[\left(\frac{1,242 - 1}{1,242} \right) \frac{1}{0,0402} + \frac{1}{1,242} \right]}{\ln (1,242)} \Rightarrow \boxed{N_I = 8,45 \approx 9} \Rightarrow \# \text{ platos ideales!!!}$$

\leadsto Zona II: definiendo el vapor como la fase que da... $Q_{II} = L_{II} / m \cdot V_{II}$

$$m \rightarrow \text{entre } 0,0966 \wedge 0,019 \Rightarrow y = 3,135 \cdot x_{eq} + 0,118 \Rightarrow m = 3,135$$

$$Q_{II} = 117,295 / 29,38 \cdot 3,135 \Rightarrow Q_{II} = 1,28 \quad Q_F = \frac{L}{V} \cdot \frac{x_{eq}}{y_{eq}} \Rightarrow Q_F = 0,8258$$

$$\varphi_{II} = \frac{y_{sII} \cdot V - (x_{eII} \cdot L / Q_F)}{y_{eII} \cdot V - (x_{eII} \cdot L / Q_F)} = \frac{0,243 \cdot 29,38 - (0,068 \cdot 117,925 / 0,8258)}{0,0895 \cdot 29,38 - (0,068 \cdot 117,925 / 0,8258)} \Rightarrow \varphi_{II} = 0,184$$

$$N_{II} = \frac{\ln \left[\left(\frac{Q_{II} - 1}{Q_{II}} \right) \frac{1}{\varphi_{II}} + \frac{1}{Q_{II}} \right]}{\ln Q_{II}} = \frac{\ln \left[\left(\frac{1,28 - 1}{1,28} \right) \frac{1}{0,184} + \frac{1}{1,28} \right]}{\ln (1,28)} \Rightarrow \boxed{N_{II} = 2,5 \approx 3} \Rightarrow \# \text{ platos ideales!!!}$$

a) Nplatos ideales = $9 + 3 = 12 \rightarrow N_{real} = \frac{N_{ideal}}{e_{fic}} = \frac{12}{0,8} \Rightarrow \boxed{N_{real} = 15 + R}$

b) $NTU_I = \frac{\ln \left[\left(\frac{Q_I - 1}{Q_I} \right) \frac{1}{\varphi_I} + \frac{1}{Q_I} \right]}{[(Q_I - 1) / Q_I]} = \frac{\ln \left[\left(\frac{0,805 - 1}{0,805} \right) \frac{1}{0,0402} + \frac{1}{0,805} \right]}{[(0,805 - 1) / 0,805]} \Rightarrow \boxed{NTU_I = 9,31}$

$NTU_{II} = \frac{\ln \left[\left(\frac{Q_{II} - 1}{Q_{II}} \right) \frac{1}{\varphi_{II}} + \frac{1}{Q_{II}} \right]}{[(Q_{II} - 1) / Q_{II}]} = \frac{\ln \left[\left(\frac{1,28 - 1}{1,28} \right) \frac{1}{0,184} + \frac{1}{1,28} \right]}{[(1,28 - 1) / 1,28]} \Rightarrow \boxed{NTU_{II} = 2,95}$

c) Para calcular la altura de la torre: se resta 1 plato por el espaciado y sabiendo que el espacio entre plato y plato es $10 \text{ in} = 1,5 \text{ ft} \dots Z = (15 - 1) \cdot 1,5 \Rightarrow \boxed{Z = 22,875 \text{ ft}}$

d) Sabiendo que HOG = 1,2 ft \wedge que $Z = \text{HOG} (NTU_I + NTU_{II}) \Rightarrow Z = 1,2 (9,31 + 2,95) \Rightarrow$

$$\boxed{Z = 14,71 \text{ ft}}$$

